

4. The remote feeder reactance coil of claim 2 characterized in that the turns (214) of said secondary winding (212) [arc] are wound within the turns of said primary winding, below the latter, or outside and on the turns (210) of said primary winding (202).

5. (Amended) The remote feeder reactance coil of [one of claims 1 to 4] claim
1 characterized in that said conductive material of said secondary winding (122; 212) is a
material with an ohmic resistance.

6. (Amended) The remote feeder reactance coil of [one of claims 1 to 5] claim
1 characterized in that said attenuation circuit (118; 218) includes [e.g.] an ohmic resistor
(116; 216) for connecting the terminals of said secondary winding (112; 212).

7. (Amended) The remote feeder reactance coil of [one of claims 1 to 5] claim
1 characterized in that said attenuation circuit includes a foil or a layer of conductive varnish
with an ohmic resistance for connecting the terminals of said secondary winding.

8. (Amended) The remote feeder reactance coil of [one of claims 1 to 5] claim
1 characterized in that said attenuation circuit includes an arrangement of at least one ohmic
resistor and one further reactive element for connecting the terminals of said secondary
winding.

9. (Amended) The remote feeder reactance coil of [one of claims 1 to 8] claim
1 characterized in that said attenuation circuit (218) includes a terminal which is electrically
connected to said primary winding (202).

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